Where was this picture taken? Exposure time = ? Where's north?





- Remember to turn in your Doodle sheets at the end of each class!
- Install "Stellarium" ?
- 21" telescope this afternoon (4 pm?)
 - Bring the RA and DEC of a favorite object, like your "Star Name"
- Today: Coordinate review and "light"
- Observe the Moon this week after sunset:
 - Brightness, phase, "Earthshine"

Can you identify the angles shown below? "spherical trigonometry"



Spherical Trigonometry

To convert from equatorial to horizontal coordinates:

```
Given RA \alpha and declination \delta, we have
Local Hour Angle H = LST - RA, in hours;
convert H to degrees (multiply by 15).
Given H and \delta, we require azimuth A and altitude a.
By the cosine rule:
\cos(90-a) = \cos(90-\delta) \cos(90-\phi) + \sin(90-\delta) \sin(90^{\circ})
                                                                -0)
\cos(H)
                                                                            Ζ
                                                                   90°-¢
which simplifies to:
sin(a) = sin(\delta) sin(\phi) + cos(\delta) cos(\phi) cos(H)
This gives us the altitude a.
                                                                                90°-a
By the sine rule:
sin(360-A)/sin(90-\delta) = sin(H)/sin(90-a)
which simplifies to:
                                                                                        celestial equator
-\sin(A)/\cos(\delta) = \sin(H)/\cos(a)
                                                                              X
i.e. \sin(\mathbf{A}) = -\sin(\mathbf{H})\cos(\delta) / \cos(a)
                                                                                   S
which gives us the azimuth A.
                                                                                          horizon
```

Erase ITr	ace to	inditrace.txt	
TCS-NG-INDI			
Telenetry			
Connection			
≎On ≎Off			
Site Telemetru			
Hour Angle			+00:00:14
Sidereal Time			16:23:02
Flevation			89.9
Azinuth			180.0
Airmass			1.00
Epoch			2000.0
Parallactic Angle			-145.7
Universal Time			01:25:52.89
Corrections			MPNARFp+
Axial Telemetry			
		RA	DEC
		HH:MM:SS.ss	+D:HH:SS.s
Current		16:22:05.25	+32:11:14.2
Connanded		16:22:05.26	+32:11:14.2
Next		16:17:16.30	+32:12:01.7
Offset		+00:00:00.01	+00:00:00.01
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Actions			
🗖 Go Next 🗖 Cancel	Enab]	le	
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1 Corrections			

Where is the telescope pointed now?

Small angular corrections are applied

Could you observe this object tonight?

Pretend you are planning to observe at the MMT Observatory tonight and wish to study "Campbell's Hydrogen Star": $\alpha = 19^{h}:34^{m}:45^{s}$ $\delta = +30^{\circ}:30^{\circ}:59^{\circ}$

The Local Sidereal Time (LST) at midnight will be 8:04:32

The Sun sets at 5:53 pm and rises at 7:19 am.

Could you observe this object within an hour angle of $\pm 2^{h}$ and hence over a relatively low air mass?

Problem Friday's optional homework problem

On 17 August 2017, 12:41:04 UT (i.e., Universal Time), the gravitational-wave observatory, LIGO, detected an event (aka, GW170817) from a pair of merging neutron stars. The estimated location had coordinates of (RA: 13:09:48.08; DEC: -23:22:53.3). Quickly, an electronic alert message was sent around the world, encouraging astronomers at observatories around the world to record the event across the spectrum of light. This event provided an opportunity for "multi-messenger" astrophysics.

In Greenwich, the Local Sidereal Time (LST) was 10.35 hours. The 1meter Swope Telescope in Chile (longitude: 70:42:05.9 W; latitude: -29:00:35.85) was the first facility to observe the object. At the time of the event, what was the object's Hour Angle at the Swope Observatory; in other words, could Swope astronomers have observed the event immediately or did they need to wait some amount of time for the object to rise in their sky? [NOTE that Right Ascension increases towards the east.]

Do you understand the problem? What do we know?

When:17 August 2017 at 12:41:04 UTWhere:RA: 13:09:48.08; DEC: -23:22:53.3

In Greenwich, the Local Sidereal Time (LST) was 10.35 hours.

The 1-meter Swope Telescope in Chile: longitude: 70:42:05.9 W latitude: -29:00:35.85

At the time of the event, what was the object's Hour Angle at the Swope Observatory?

Solution

- Longitude: 70:42:05.9 W = 70.70 deg
- 70.70 deg / 15 deg per hour = 4.71 hours
- 4.71 hours earlier than Greenwich
- LST at Greenwich was 10.35 hours at midnight
- At Swope, LST then was 10.35 4.71 = 6.54 hours
- So an RA of 6:32:24 was transiting
- Object's RA = 13:09:48.08
- So HA (east) = 6:37:24.08 = 6.62 hours
- So object had not yet risen above Chilean horizon

Tonight's Moon with Venus "Earthshine" watch throughout this week





What does it mean to "revolve"? How long are a "month, year"?

- Synodic period = 29.53 days
- Sidereal period = 27.32 days





You should be able to derive this relationship: textbook: pp. 17-18

Mercury: Solar vs. Sidereal Day

How long is a "day" on Mercury?

Mercury rotates on its axis exactly 1.5 times for each revolution around the Sun.

> Revolution period 87.969 days

Rotation period 58.646 days



Mercury rotates exactly 3 times during two orbits around Sun.

RATIO = 87.97/58.65 = 3:2 ["3:2 spin-orbit resonance"]



James Clerk Maxwell 1873

He described mathematically the relationship between electrical and magnetic fields.

Maxwell's Equations predicted: electromagnetic waves (a spectrum of them)

The speed of these waves = c. These waves (light) carry energy.

He "unified" electricity, magnetism, and light.

> "electromagnetic" waves electromagnetic fields



James Clerk Maxwell.



 $\nabla \cdot E$ $\nabla \cdot \vec{B}$ $\nabla imes \vec{E}$

Electromagnetic Vibrations



Maxwell's Equations <u>Predicted</u> a Speed (c)

- c = speed
 - 3 x 10⁵ km/sec or 186,000 miles/sec
- But speed relative to what?
- Scientists thought the speed would be measured with respect to a "medium" like water or air
 - called it "aether"
 - They predicted it must have unique properties:
 - stiff to be consistent with high speed of light
 - tenuous because Earth and planets would move through it
- This "aether" would be an absolute reference.

Maxwell's Equations <u>Predicted</u> a "Spectrum" of Light



Describing Light speed, wavelength, frequency $c = \lambda \times v$

Speed (c) 3 x 10⁸ m/sec Wavelength (λ)

×

Frequency (v)

The distance between two successive peaks.

The number of wave peaks arriving each second.

<u>Units</u>: Angstrom (Å = 0.1 nm) nanometer (nm) meter (m) kilometer (km) <u>Units</u>: Hertz (Hz = cycles/second)



Arizona Daily Star front page news (Sep 14, 2016) terahertz frequencies

New device can read pages of a book without opening it, find hidden images

By Michael Casey

THE ASSOCIATED PRESS

A team of researchers from the process. two institutions pulled it off with a system that looks like a cross be- journal Nature Communications, ly read only nine pages, though it tween a camera and a microscope. the scientists explained how they could see writing on up to 20.

be used by museums to scan the radiation situated on the electro-Leave it to the great minds at contents of old books too fragile magnetic spectrum between mi-MIT and Georgia Tech to figure to handle or to examine paintings out a way to read the pages of a to confirm their authenticity or read a stack of papers with a single at the MIT Media Lab. book without actually opening it. understand the artist's creative letter handwritten on each page.

Writing in the latest issue of the spectrometer, managed to clear-

They said it could someday used terahertz waves - a type of crowaves and infrared light - to

we didn't think we would be able to see as deep as we did." said Barmak Heshmat, a research scientist

The device, called a terahertz way from reading an entire book. Heshmat said the team is already talking with the Metropolitan Museum of Art in New York about

"We were very excited because using it to inspect some of its artworks and antique volumes. The museum did not immediately respond to a request for comment.

He said it could also be used While the device is still a long in industry - for example, to see whether there are cracks or other defects beneath the paint on an

See TERAHERTZ, A4

wavelength = ?

 $\lambda = (3x10^8 \text{ m/sec}) / 10^{12} \text{ cycles/sec} = 3 \text{ x } 10^{-4} \text{ m} = 0.3 \text{ mm}$

How many times longer is a wavelength of radio light (500 m) compared to a wavelength of blue light (500 nm)?



- B. 1 billion times longer
- C. 1 million times longer
- D. 10⁹x shorter



Work together!

λ = wavelength (meters) v = frequency (waves/sec = Hz) c = speed of light (meters/sec)



Describing Light a traveling vibration of pure energy $E = hc/\lambda = hv$



Interactive Problems about Light $E = hv = hc/\lambda$

1. Assume that all the energy from a 100 Watt light bulb is associated with photons of $\lambda = 600$ nm. How many photons per second are emitted by the bulb?

b. h =
$$6.6 \times 10^{-34} \text{ kg m}^2 \text{/sec}$$

2. A common unit of energy is the electron-volt (ev) = 1.6×10^{-19} Joules. One ev is the energy equal to the work done on an electron in accelerating it through a potential difference of one volt. Express the energy of the 21 cm line of the hydrogen atom in units of electron-volts.

$$#pletons = \frac{150 \text{ Watts}}{\text{hc/}}$$

$$= \frac{150 (\text{kg m}^{2})}{\text{pee}^{3}} \times (6 \times 10^{7} \text{M})$$

$$= \frac{(6.6 \times 10^{-34} \text{ kg m}^{2})(3 \times 10^{8} \text{ m})}{\text{pse}} \times (6 \times 10^{7} \text{M})$$

$$= \frac{(6) 10^{-5}}{(6.6)(3) \times 10^{-26}} \text{ per per}$$

$$= \frac{300}{2} \times 10^{20} \text{ photons/pre}$$

$$\begin{split} \lambda &= 21 \, \text{cm} \\ E &= \frac{hc}{\lambda} = \frac{(6.6 \times 10^{-34} \, \text{kg m}^2) (3 \times 10^8 \, \text{m})}{2 \, (3 \times 10^8 \, \text{m})} \\ &= \frac{(6.6)(3)}{2 \, (3 \times 10^{-25} \, \text{kg m}^2)} \\ \hline E &= \frac{(6.6)(3)}{2 \, (3 \times 10^{-25} \, \text{kg m}^2)} \\ \hline E &= \frac{9.4 \, \times 10^{-25} \, \text{joule}}{1.6 \, \times 10^{-17} \, \text{joule}/e \, \text{s}} \\ \hline E &= 5.9 \, \times 10^{-6} \, \text{ev} \end{split}$$



Inverse-square law example



What do you see happening in this picture?



The bulb emits light in all directions. Its light carries energy.

200 Watts is a certain amount of energy per second.

How determine the total energy hitting a person's face in an hour?

The "Inverse-Square Law" of Light

Light expands spherically away from its source. Brightness decreases as the square of the distance.



How astronomers use supernovae to measure distances

> At one unit of distance, the light covers a 1 by 1 area.

At three units of distance, the light is ¹/9 as bright.

dimming of SN 2006X's light from interstellar dust.

At two units of distance, the light spreads out over 4

given point.

times the area, so it

is ¹/4 as bright at any

An object's brightness depends on its distance and how bright it really is.



If we know two of these characteristics, we can determine the third.

"Flux"

this quantity can be measured by detectors

The <u>rate</u> of energy passing through a differential area:

$$\mathbf{F} = \mathbf{Flux} = \frac{dE}{dAdt}$$



What are the units of Flux?

ergs cm⁻² sec⁻¹ = W m⁻² 1 Watt = 10^7 erg/sec

"Luminosity"

L = flux integrated over the surface area of the object

$$L = \int_{surface} F \, dA$$

If F is constant and the surface is spherical (radius = R), then

$\mathbf{L} = \mathbf{4}\pi\mathbf{R}^2\cdot\mathbf{F}$

where F is flux at the surface and $4\pi R^2$ is surface area of the sphere

The "inverse-square law" apply energy conservation

For a star of radius (R_{*}) and luminosity (L_{*}): $L_* = 4\pi R_*^2 \cdot F_* = dE_*/dt$

For an observer far away, the same rate of energy will expand outwards and flow through a larger sphere surrounding the star

$$L_* = dE_*/dt = 4\pi D^2 \cdot F_{obs} = 4\pi R_*^2 \cdot F_*$$
$$F_{obs} = F_* (R/D)^2$$

So, $F_{obs} \alpha 1/D^2$

i.e., "inverse-square" law



Why Do Planets Become Colder with Distance From the Sun?



The graph uses a 'logarithmic' scale.

Radio "Light"

What concepts about light are relevant to cellphones?

- Uses electromagnetic radiation – radio waves
- Signal travels at the speed of light

 3 x 10⁸ m/sec
- Light travels in a straight line in a vacuum — need antennas to relay signal
- Signal strength decreases as inverse-square Making a distance
 Phone Call
 - need antennas to relay signal
 - some dead zones
- Light carries energy is transferred in differer forms:
 - sound to mechanical to light and back again



What happens when you change channels on your radio?

